

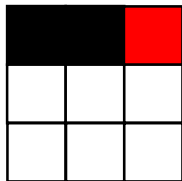
Venn diagramme für Realitätsthematisierungen semiotischer Relationen

1. Im folgenden gehen wir aus von der Gesamtmenge der über der abstrakten Struktur $Z = R(3.x, 2.y, 1.z)$ mit $x, y, z \in (1, 2, 3)$ erzeugbaren $3^3 = 27$ semiotischen Relationen (vgl. Toth 2019) und stellen die durch die Realitätsthematiken thematisierten entitätischen (strukturellen) Realitäten mittels Venn diagrammen dar. Dabei werden thematisierende Subzeichen schwarz und thematisierte rot gekennzeichnet.

2. Die 27 semiotischen Dualsysteme

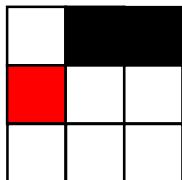
2.1. Dualsystem

Zkl	×	Rth	Rpw	Thematisation
(3.1, 2.1, 1.1)	×	(1.1, <u>1.2</u> , 1.3)	9	M-them. M



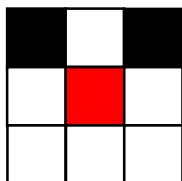
2.2. Dualsystem

(3.1, 2.1, 1.2)	×	(2.1, <u>1.2</u> , 1.3)	10	M-them. O
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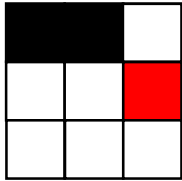
2.3. Dualsystem

*(3.1, 2.2, 1.1)	×	(<u>1.1</u> , 2.2, <u>1.3</u>)	10	M-them. O
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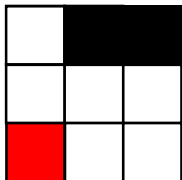
2.4. Dualsystem

*(3.2, 2.1, 1.1) × (1.1, 1.2, 2.3) 10 M-them. O



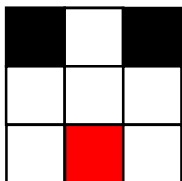
2.5. Dualsystem

(3.1, 2.1, 1.3) × (3.1, 1.2, 1.3) 11 M-them. I



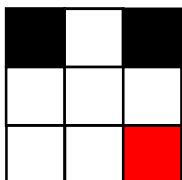
2.6. Dualsystem

*(3.1, 2.3, 1.1) × (1.1, 3.2, 1.3) 11 M-them. I



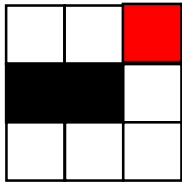
2.7. Dualsystem

*(3.3, 2.1, 1.1) × (1.1, 1.2, 3.3) 11 M-them. I



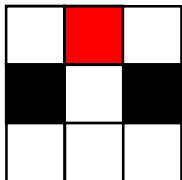
2.8. Dualsystem

(3.1, 2.2, 1.2) × (2.1, 2.2, 1.3) 11 O-them. M



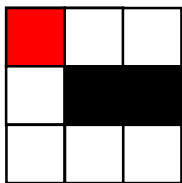
2.9. Dualsystem

*(3.2, 2.1, 1.2) × (2.1, 1.2, 2.3) 11 O-them. M



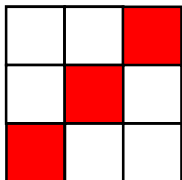
2.10. Dualsystem

*(3.2, 2.2, 1.1) × (1.1, 2.2, 2.3) 11 O-them. M



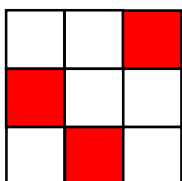
2.11. Dualsystem

(3.1, 2.2, 1.3) × (3.1, 2.2, 1.3) 12 triadisch



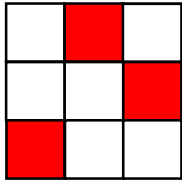
2.12. Dualsystem

*(3.1, 2.3, 1.2) × (2.1, 3.2, 1.3) 12 triadisch



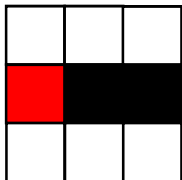
2.13. Dualsystem

$*(3.2, 2.1, 1.3) \times (\underline{3.1}, \underline{1.2}, \underline{2.3})$ 12 triadisch



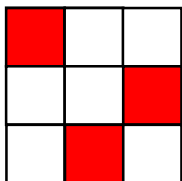
2.14. Dualsystem

$(3.2, 2.2, 1.2) \times (2.1, \underline{2.2}, \underline{2.3})$ 12 O-them. O



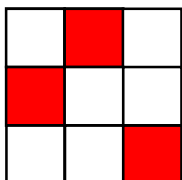
2.15. Dualsystem

$*(3.2, 2.3, 1.1) \times (\underline{1.1}, \underline{3.2}, \underline{2.3})$ 12 triadisch



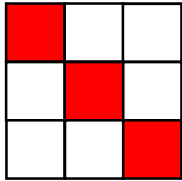
2.16. Dualsystem

$*(3.3, 2.1, 1.2) \times (\underline{2.1}, \underline{1.2}, \underline{3.3})$ 12 triadisch



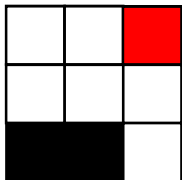
2.17. Dualsystem

*(3.3, 2.2, 1.1) × (1.1, 2.2, 3.3) 12 triadisch



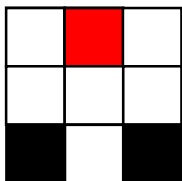
2.18. Dualsystem

(3.1, 2.3, 1.3) × (3.1, 3.2, 1.3) 13 I-them. M



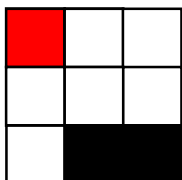
2.19. Dualsystem

*(3.3, 2.1, 1.3) × (3.1, 1.2, 3.3) 13 I-them. M



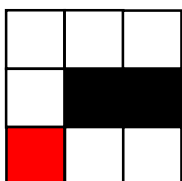
2.20. Dualsystem

*(3.3, 2.3, 1.1) × (1.1, 3.2, 3.3) 13 I-them. M



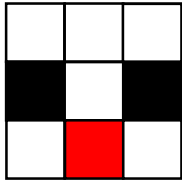
2.21. Dualsystem

(3.2, 2.2, 1.3) × (3.1, 2.2, 2.3) 13 O-them. I



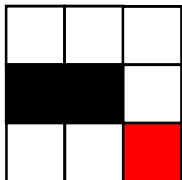
2.22. Dualsystem

*(3.2, 2.3, 1.2) × (2.1, 3.2, 2.3) 13 O-them. I



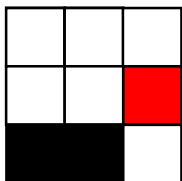
2.23. Dualsystem

*(3.3, 2.2, 1.2) × (2.1, 2.2, 3.3) 13 O-them. I



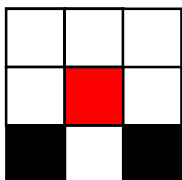
2.24. Dualsystem

(3.2, 2.3, 1.3) × (3.1, 3.2, 2.3) 14 I-them. O



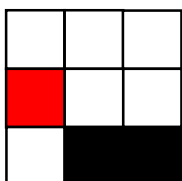
2.25. Dualsystem

*(3.3, 2.2, 1.3) × (3.1, 2.2, 3.3) 14 I-them. O



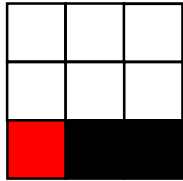
2.26. Dualsystem

*(3.3, 2.3, 1.2) × (2.1, 3.2, 3.3) 14 I-them. O



2.27. Dualsystem

(3.3, 2.3, 1.3) × (3.1, 3.2, 3.3) 15 I-them. I



Literatur

Toth, Alfred, Gleiche Repräsentationswerte bei regulären und irregulären semiotischen Dualsystemen. In: Electronic Journal for Mathematical Semiotics, 2019

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